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B.Sc. Part - III H.O.D. Physics.

Paper - 5th : Concept of state.

(Q.M)

Schrodinger's concept of State : — In classical mechanics a physical system is described completely by the co-ordinates and velocities of all its constituent particles. Such a description is impossible in quantum mechanics. Because the co-ordinates and corresponding velocities or momenta have to obey uncertainty relation. Any description of the state of a quantum system arises as a result of some measurements.

There are two types of measurements such as in quantum mechanics. In one the majority of measurements do not lead with certainty to a unique result. The other class contains measurements such that for every possible result of measurement there is a state in which the measurement leads with certainty to that result. Such measurements play an important part in quantum mechanics and is known as predictable. If in some state a measurement gives with certainty a unique result, we say that in this state the corresponding physical quantity has a definite value.

We know that in quantum mechanics every set of physical quantities can not be measured simultaneously. Such sets are called ~~comple~~ sets. An important part is played by a set of physical quantities that can be measured simultaneously. Such sets are called ~~comple~~ sets. →

(P.T.O)

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All quantities of a complete set can be measured simultaneously, but no other physical quantity which is not given in complete set can have a definite value.

Now let us formulate the measuring of complete description of a state in quantum mechanics. Completely described states occur as a result of the simultaneous measurement of complete set of physical quantities. From the result of such measurement we can determine the probability of various results of any subsequent measurement regardless of the system history of the system prior to the first measurement. By the state of a quantum system we shall always mean completely described state.

For determining the state of an electron, the following complete sets are employed:

(I) x, y, z, σ (II) p_x, p_y, p_z, σ and (III) E, l, m, σ

where x, y, z are the position co-ordinates,

p_x, p_y, p_z are the corresponding components of momentum, E is the energy and l, m and σ are orbital magnetic and spin quantum numbers respectively.

For determining the state of a photon the following complete sets are employed: (I) k_x, k_y, k_z and ϵ and (II) E, M^2, M_z, P where k_x, k_y, k_z are the projections of the wave vector of the radiation. ϵ is the polarisation of the photon. M^2 and M_z are the square of the momentum, and the projection of the momentum along z -direction and P is the spatial parity which can assume one of the two values +1 and -1.

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